

**Meeting:** 1003, Atlanta, Georgia, SS 20A, AMS Special Session on Commutative Algebra, I

1003-13-729      **Moira A. McDermott\*** (mmcdermo@gac.edu), **Craig Huneke** and **Paul Monsky**.

*Hilbert-Kunz functions of normal local rings.*

This talk will report on work, joint with Craig Huneke and Paul Monsky, regarding the existence of a second coefficient in the Hilbert-Kunz function of an  $m$ -primary ideal in a normal local ring of positive characteristic. In particular, let  $(R, m, k)$  be an excellent, local, normal ring of characteristic  $p$  with a perfect residue field and  $\dim R = d$ . We let  $n$  be a varying non-negative integer and let  $q = p^n$ . If  $I$  is an  $m$ -primary ideal of  $R$ , and  $M$  is a finitely generated  $R$ -module, then there exists a real number  $b$  such that the length of  $M/I^{[q]}M$  can be written as  $aq^d + bq^{d-1} + O(q^{d-2})$ . (Received September 28, 2004)