Given an integral lattice $L$, one can construct a corresponding vertex algebra $V$ using the Heisenberg algebra and the group algebra of $L$. Let $T$ be an automorphism of $V$. The set of $T$-invariant elements is called an orbifold. C. Dong and others have used Zhu’s algebra to classify all orbifold modules in the case $T = -1$. On the other hand, B. Bakalov and V. Kac have a way of constructing all possible twisted modules for any automorphism. In the case for an even positive definite integral lattice $Q$ and an automorphism $T$ of order 2, I use their construction to find all $T$-twisted modules and verify that there are no others using the works of C. Dong and others. These include, in particular, the root lattices for the simply-laced Lie algebras with a Dynkin diagram automorphism of order 2. (Received September 14, 2013)