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Snarks are a class of simple, cubic, non-planar graphs that cannot be edge-3-colored. By a result of Kászonyi, if  $G$  is a snark,  $e$  is an edge of  $G$ , and  $G_e$  is the cubic graph that one obtains by deleting the edge  $e$  and “eliminating” its endpoint vertices, then the number of edge-3-colorings of  $G_e$  with three given colors will be  $18 \cdot \psi(G, e)$  for some nonnegative integer  $\psi(G, e)$ . It has been previously shown that there exists a cyclically 4-edge connected snark  $G_0$  with an edge  $g_0$  such that  $\psi(G_0, g_0) = 2^a \cdot 3^b \cdot 5^c \cdot 7^d$  where  $a, b, c$ , and  $d$  are arbitrary non-negative integers. In this talk, we will show that for every positive integer  $n$  where prime factors of  $n$  are all less than or equal to 149, there exists a snark  $G$  and an edge  $e$  of  $G$  such that  $\psi(G, e) = n$ . (Received September 17, 2013)