## 1106-03-1741 Michael C. Laskowski\* (mcl@math.umd.edu), Department of Mathematics, University of Maryland, College Park, MD 20742. Seeking dividing lines for classes of atomic models. Preliminary report.

We begin an investigation of the model theory of the class  $\mathbf{At_T}$  of atomic models of a countable, complete first-order theory T. We introduce the notion of *pseudo-algebraic closure* which is the appropriate generalization of algebraic closure for this context and identify two countably infinite configurations in terms of this notion. We prove two dual theorems: On one hand, if  $\mathbf{At_T}$  admits either of these two configurations, then there are  $2^{\aleph_1}$  non-isomorphic atomic models of size  $\aleph_1$ . On the other hand, if  $\mathbf{At_T}$  forbids both of these configurations, then  $\mathbf{At_T}$  has a model of size continuum.

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