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**Gwyneth R Whieldon\*** (whieldon@hood.edu), Hood College, Department of Mathematics, 401 Rosemont Ave, Frederick, MD 21701, and **Jill Bigley Dunham** (jillbd@gmail.com). *Strongly Generic Artinian Monomial Ideals and Upper Intervals in the Weak Bruhat Order*. Preliminary report.

In this talk, we illustrate a connection between strongly generic, trivariate Artinian monomial ideals containing  $\{x^{n+1}, y^{n+1}, z^{n+1}\}$  in their minimal generating set and upper intervals in the weak Bruhat order on permutations  $S_n$ . Considering monomial ideals that are strongly generic (given any pair of generating monomials m and m', if a variable divides both generators it must do so to different powers) and Artinian, we create a bijection between degree-minimal examples of such ideals  $M_{\sigma,\tau}$  and pairs of permutations  $\sigma, \tau \in S_n$  with complementary sets of inversions, e.g. permutations such that  $\operatorname{Inv}(\sigma) \cup \operatorname{Inv}(\tau) = \{(i, j) : 1 \leq i < j \leq n\}$ . For such an ideal  $M_{\sigma,\tau}$ , we produce the Buchberger graph  $B(M_{\sigma,\tau})$  supporting the resolution of the monomial ideal  $M_{\sigma,\tau}$  in terms of permutations  $\sigma, \tau$ , and examine how inserting a new generator  $m \mapsto M_{\sigma,\tau}$  affects this graph. (Received September 16, 2014)