

1125-15-442

Alan C. Krinik* (ackkrinik@cpp.edu), **Uyen Nguyen, Ali Oudich, Pedram Ostadhassanpanjehali** and **Ryan Kmet**. *Exploring a Class of Finite, Tridiagonal, Stochastic Matrices*.

We begin by applying some nice results of Kouachi (2008) that characterize the general form of eigenvalues for two different classes of finite, tridiagonal, stochastic matrices having q on the lower diagonal and p on the upper diagonal with $p, q \geq 0$ and $p + q \leq 1$.

•We first consider an absorbing birth-death Markov chain having state space $\{0,1,2,\dots,H\}$ where states 0 and H are absorbing states and states $1,2,3,\dots,H-1$ each have constant one-step (nonzero) transition probabilities: p for going up one step, q for going down one step and r the chance of returning to the same state in one step. Formulas for the n -step transition probabilities and the finite-time gambler's ruin probability are presented and discussed.

•Next, we consider a recurrent birth-death Markov chain having state space $\{0,1,2,\dots,H\}$ where states $1,2,3,\dots,H$ have nonzero probability q of going down by one step and states $0,1,2,3,\dots,H-1$ have nonzero probability p of going up by one step. We again assume $p + q \leq 1$ Formulas for the n -step transition probabilities are presented and discussed when H is odd.

Further generalizations and applications are discussed as time allows. (Received September 02, 2016)