Let \( \overline{R} \) denote a finite bordered Riemann surface, and let \( \Gamma_c(\overline{R}, \mathcal{E}(\overline{R})) \) denote the continuous sections of a flat, matrix \( PU_n(\mathbb{C}) \)-bundle over \( \overline{R}, \mathcal{E}(\overline{R}) \). We write \( \Gamma_h(\overline{R}, \mathcal{E}(\overline{R})) \) for the collection of continuous sections of \( \mathcal{E}(\overline{R}) \) that are holomorphic on the interior of \( \overline{R} \). This is a subalgebra of the \( C^* \)-algebra of continuous sections, \( \Gamma_c(\overline{R}, \mathcal{E}(\overline{R})) \). Our first goal is to calculate the boundary representations of \( \Gamma_c(\overline{R}, \mathcal{E}(\overline{R})) \) for \( \Gamma_h(\overline{R}, \mathcal{E}(\overline{R})) \), in the sense of Arveson, showing that they are point evaluations on the boundary of \( \overline{R} \). Our second goal is to show \( \Gamma_h(\overline{R}, \mathcal{E}(\overline{R})) \) is an Azumaya algebra over its center. Together, these two theorems indicate a sense in which our algebra \( \Gamma_h(\overline{R}, \mathcal{E}(\overline{R})) \) is a nonselfadjoint generalization of an \( n \)-homogeneous \( C^* \)-algebra. (Received September 23, 2017)