I will first talk about joint work with Jaramillo, Rajan, Siffert and Searle. We endow each closed, orientable Alexandrov space \((X, d)\) with an integral current \(T\) of weight equal to 1, \(\partial T = 0\) and \(\text{set}(T) = X\), in other words, we prove that \((X, d, T)\) is an integral current space with no boundary.

Finally, I will talk about work with Li. We show that non-collapsing sequences of Alexandrov Spaces with a current structure that satisfies the conditions of the first paragraph and have uniform lower curvature and diameter bounds admit subsequences whose Gromov-Hausdorff and intrinsic flat limits agree. (Received September 24, 2017)