We say a finite set of points $Z$ in $P^2$ admits unexpected curves in degree $d$, if the intersection of the ideal $I(Z)$ with the ideal $I(Q)^{d-1}$ is larger than "expected". Surprisingly, it was shown that the degrees in which $Z$ admits unexpected curve can be determined from combinatorial data of $Z$, and the Derivation bundle of the line arrangement dual to $Z$. We generalize this result to $P^n$, replacing $Q$ with a general codimension 2 subspace. Connections to Terao’s Freeness Conjecture are discussed as well. (Received September 17, 2019)