A matrix convex set $X$, by definition, is built up of many different matrix levels $X_n$. We show that the smallest and largest matrix convex sets over $X_n$ do not necessarily approximate $X$ to arbitrary precision as $n$ approaches infinity. In particular, successful approximation corresponds to the lifting property and exactness of the corresponding operator system. (Received September 13, 2019)