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**Nathaniel Bottman\*** (nbottman@math.ias.edu). *Moduli spaces of quilted disks mapping to  $\mathbb{C}\mathbb{P}^1$  and  $\mathbb{C}\mathbb{P}^2$ .* Preliminary report.

There is a monotone Lagrangian  $\Lambda \subset (\mathbb{C}\mathbb{P}^1)^- \times \mathbb{C}\mathbb{P}^2$  coming from the action of  $S^1$  on  $\mathbb{C}\mathbb{P}^2$  that rotates the last homogeneous coordinate. By work of Wehrheim and Woodward, we should expect that  $\Lambda$  induces a functor  $F_\Lambda: \text{Fuk}(\mathbb{C}\mathbb{P}^1) \rightarrow \text{Fuk}(\mathbb{C}\mathbb{P}^2)$  between monotone Fukaya categories, which sends  $L \subset \mathbb{C}\mathbb{P}^1$  to a circle bundle over  $L$  and which is defined on the morphism level in terms of moduli spaces of quilted disks with one patch mapping to  $\mathbb{C}\mathbb{P}^1$  and one to  $\mathbb{C}\mathbb{P}^2$ . I will explain how to classify these quilted disks, and describe some features of the compactified moduli spaces thereof. Time and circumstances permitting, I may talk about more general examples of quilted disks mapping to a toric manifold and its reduction by a Hamiltonian action. (Received February 07, 2018)