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**Pit-Mann Wong\*** (pmwong@nd.edu), Department of Mathematics, University of Notre Dame, Notre Dame, IN 46556. *A Second Main Theorem on Generalized Parabolic Manifolds.*

A complex manifold  $M$  of complex dimension  $n$  is said to be a generalized parabolic manifold if there exists a closed  $(1, 1)$ -form  $\omega$  and a plurisubharmonic exhaustion  $\psi$  such that

- (i)  $\{\psi = -\infty\}$  is a closed subset of strictly lower dimension,
- (ii)  $\psi$  is smooth outside  $\{\psi = -\infty\}$  and

$$dd^c\psi)^k \wedge \omega^{n-k} = 0$$

on  $X \setminus \{\psi = -\infty\}$  for some integer  $1 \leq k \leq n$ .

Example. Let  $E$  be a holomorphic vector bundle over a parabolic manifold. Then the projectivized bundle  $\mathbf{P}(E)$  is a generalized parabolic manifold.

Main Theorem. The Second Main Theorem for parabolic manifolds is also valid for generalized parabolic manifolds. (Received September 27, 2005)