Let $H$ be a graph on $k$ vertices. Informally, a graph $G$ is $H$-linked if there exists a subdivision of $H$ on any subset of $k$ vertices of $G$. For certain graphs $H$, a graph $G$ is $H$-linked if and only if $G$ has a certain graph property (such as $k$-connected or $k$-ordered). Hence, the concept of $H$-linked generalizes many well-known graph properties. In 2005, Kostochka and Yu proved a sharp Ore-type condition for a graph $G$ to be $H$-linked where $\delta(H) \geq 2$. In this talk, we present a similar best-possible Ore-type condition for a graph $G$ to be $H$-linked where now $G$ must be sufficiently large but $H$ has no minimum degree restrictions. Several new results will be presented as corollaries. (Received September 23, 2006)