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Gerardo A Mendoza* (gmendoza@temple.edu), Department of Mathematics, Temple University, Philadelphia, PA 19122. *Hypoellipticity of \square_b and vanishing of cohomology*. Preliminary report.

Let \mathcal{N} be a compact CR manifold of CR codimension 1, assume there is a global nonvanishing real vector field \mathcal{T} whose action leaves the CR structure, \mathcal{K} , invariant. Assume further that there is a \mathcal{T} invariant Riemannian metric on \mathcal{N} for which \mathcal{K} and \mathcal{T} are orthogonal. Let $H_{\bar{\partial}_b}^q(\mathcal{N})$ be the kernel of the Kohn-Rossi Laplacian \square_b on q -forms. Then the Lie derivative $-i\mathcal{L}_{\mathcal{T}}$ acts on $H_{\bar{\partial}_b}^q(\mathcal{N})$ and as such, with the natural domain, is a selfadjoint Fredholm operator. We will link properties of the spectrum of $-i\mathcal{L}_{\mathcal{T}}$ with microlocal hypoellipticity of \square_b . (Received September 20, 2006)