We prove that a 2-connected, outerplanar bipartite graph (respectively, outerplanar near-triangulation) with a list of colors $L(v)$ for each vertex $v$ such that $|L(v)| \geq \min\{\deg(v), 4\}$ (resp., $|L(v)| \geq \min\{\deg(v), 5\}$) can be $L$-list-colored (except when the graph is $K_3$ with identical 2-lists). These results are best possible for each condition in the hypotheses and bounds. We ask whether there are other classes of $k$-colorable graphs that can be $L$-list-colored when $|L(v)| \geq \min\{\deg(v), k + 1\}$ for each vertex $v$. (Received September 17, 2007)