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Hsin-Hao Lai and **Ko-Wei Lih*** (makwlih@sinica.edu.tw), Institute of Mathematics,
Academia Sinica, Nankang, Taipei, 11529, Taiwan, and **Li-Da Tong**. *Fully Orientability of Graphs
with at Most One Dependent Arc.*

Suppose that D is an acyclic orientation of a graph G . An arc of D is *dependent* if its reversal creates a directed cycle. Let $d_{\min}(G)$ ($d_{\max}(G)$) denote the minimum (maximum) of the number of dependent arcs over all acyclic orientations of G . We call G *fully orientable* if G has an acyclic orientation with exactly d dependent arcs for every d satisfying $d_{\min}(G) \leq d \leq d_{\max}(G)$. We show that a connected graph G is fully orientable if $d_{\min}(G) \leq 1$. This generalizes the main result in Fisher et al., *J. Combin. Theory Ser. B* 71 (1997), 73-78. (Received August 20, 2008)