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Martin Bartelt* (mbartelt@pcs.cnu.edu), Mathematics Department, Christopher Newport University, Newport News, VA 23606, and **John Swetits** (jswetits@odu.edu), Department of Mathematics and Statistics, Old Dominion University, Norfolk, VA 23529. *Functions with strongly unique best approximates are dense in vector valued approximation.*

H. Blatt showed that in uniform approximation from a Haar set of dimension n in $C(X)$, for X a compact subset of the complex plane, the set of functions which have a reference of minimal length $2n+1$ is dense in $C(X)$ if and only if X has at most n isolated points. These minimal length reference functions all have strongly unique best approximates. We extend this result to uniform vector valued approximation in $C(X, \mathbb{R}^m)$ for a generalized Haar set in the case when $n = mk$. (Received August 26, 2008)