

1046-Z1-904

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132, Rose-Hulman Institute of Technology, 5500 Wabash Avenue, Terre Haute, IN 47803. *Things,  
Compositions, and Generalizations.*

For  $n > 0$ , consider tiling a  $1 \times n$  chessboard with  $1 \times 1$  squares and  $1 \times 2$  rectangles. The squares come in  $w$  colors and the rectangles in  $t$  colors. Among other considerations, one can ask for (1) the number of possible tilings; (2) the number of times a particular type of tile is used; and, (3) the total number of tiles used. This situation can be rephrased in terms of compositions using only 1's and 2's as summands, where there are  $w$  kinds of 1's and  $t$  kinds of 2's. Now, for example, we can ask for the numbers of levels, rises, and descents that occur among these compositions. Finally, a relationship can be derived involving a sum of products of summands in the compositions of  $n$  (taken over all compositions of  $n$ ) and the number of tilings of the  $1 \times (2n-1)$  chessboard. (Received September 12, 2008)