I consider sequences of iterates of an analytic self-map $f$ of the unit ball in $\mathbb{C}^N$. I will show that backward-iteration sequences with bounded hyperbolic step must converge to the boundary, and the limiting points will satisfy some properties, so they will be called boundary repelling fixed points. Conjugations for $f$ near those points will be discussed. (Received August 01, 2009)