Javier Bracho* (jbracho@math.unam.mx), Instituto de Matematicas, UNAM, Ciudad Universitaria, 14501 Mexico D.F., D.F., Mexico. The combinatorics of $n+3$ points in projective $n$-dimensional space. Preliminary report.
A configuration of points in projective space is an equivalence class of labeled sets of points with the propperty that the only projectivity that keeps them fixed is the identity; where two such sets are equivalent (the same configuration) if a projectivity sends one to the other. With appropriate rules, which means that certain configurations are avoided, one obtains a compact manifold as configuration space, which also has an stratification or combinatorial structure. It will be proved that the configuration space of $n+3$ points in $n$-dimensional projective space $\left(P^{n}\right)$ is combinatorially equivalent to $n+3$ points in $P^{1}$. Some concequences will be explored. (Received October 03, 2000)

