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**Karl-Hermann Neeb** and **Hadi Salmasian\*** (hsalmasi@uottawa.ca). *The Trotter property and differentiable vectors of continuous representations.*

Let  $(\pi, V)$  be a continuous representation of an infinite dimensional Lie group  $G$ . Under a mild condition on  $G$  which holds for the interesting examples, we show that the common domain of  $k$ -fold products of the (unbounded) operators  $d\pi(x)$ , for  $x \in \text{Lie}(G)$ , is equal to the space of  $C^k$  vectors in  $V$ . We give an application of this result to unitary representations of Lie supergroups. (Received August 20, 2012)