For totally definite quadratic lattices over the ring of integers of a totally real algebraic number field, it is shown that lattices are determined up to isometry by their local structure and sublattices of codimension one. In particular, a theorem of Yoshiyuki Kitaoka for positive definite $\mathbb{Z}$-lattices is generalized to lattices over totally real algebraic number fields. (Received September 17, 2014)