

1135-51-78

**Sandipan Dutta\*** ([d.sandipan@maths.iitkgp.ernet.in](mailto:d.sandipan@maths.iitkgp.ernet.in)), Department of Mathematics, IIT Kharagpur, West medinipur, 721302, India, and **Debapriya Biswas** ([priya@maths.iitkgp.ernet.in](mailto:priya@maths.iitkgp.ernet.in)), Department of Mathemartics, IIT Kharagpur, West Medinipur, 721302, India. *Constructing new geometries in the light of the Erlangen program*. Preliminary report.

In this paper, we have considered all the possible subgroups of  $SL(2; \mathbb{R})$  from dimension zero to three especially concentrating upon the one-dimensional subgroups  $A, N$  and  $K$ . From those, we have made homogeneous spaces of various dimensions and finally, we define an action of  $SL(2; \mathbb{R})$  on those spaces.

This action made new non-Euclidean geometries with the transformation group  $SL(2; \mathbb{R})$ . We have followed the path of Felix Klein's *Erlangen Program* to define these new types of geometries. (Received July 24, 2017)