1145-05-805 Grant Fickes* (gfick710@live.kutztown.edu) and Wing Hong Tony Wong. Edge-Distinguishing Chromatic Number for Three-Legged Spiders.
Let $\$ \mathrm{G} \$$ denote a simple graph consisting of vertices and edges, where each edge connects two distinct vertices. When we color the vertices of $\$ G \$$, each edge will then be labeled by the colors of the two vertices it connects. For example, if an edge connects a red vertex and a blue vertex, then this edge is labeled by $\$$
\$red, blue\$
$\$$. We call the coloring of $\$ \mathrm{G} \$$ "edge-distinguishing" if all the edge labels are distinct, and the minimum number of colors that we need to create an edge-distinguishing coloring is called the "edge-distinguishing chromatic number" (EDCN) of G. In previous literature by Al-Wahabi et al., the EDCN was found when $\$ \mathrm{G} \$$ was a path and a cycle. In this presentation, I will expand their ideas to find the EDCN when $\$ \mathrm{G} \$$ is a three-legged spider graph. (Received September 15, 2018)

