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**Atsuhiko Nakamoto\*** (nakamoto@ynu.ac.jp), Yokohama National University, Yokohama, Kanagawa 240-8501, Japan, and **Yuta Omizo**. *A new  $Y\Delta$  equivalence class of projective planar maps.*

A map  $G$  on a closed surface  $F^2$  is  $k$ -representative if every noncontractible closed curve on  $F^2$  hits  $G$  at least  $k$  times. Randby proved that for any  $k \geq 1$ , any two *minor-minimal*  $k$ -representative maps on the projective plane  $P^2$  (i.e., w.r.t. minor operations) can be transformed by  $Y\Delta$ -exchanges. So the class of minor-minimal  $k$ -representative maps on  $P^2$  forms a  $Y\Delta$ -equivalence class.

Recently, finding a relation between a certain quadrangulation on  $P^2$  and a rhombus tiling of a regular  $2k$ -gon, we proved that if  $G$  is a minor-minimal  $k$ -representative map on  $P^2$ , then the “medial graph”  $M(G)$  can be regarded as a system of “straight” noncontractible curves on  $P^2$  (where  $M(G)$  is the 4-regular map with vertex set  $E(G)$  such that two vertices  $e$  and  $e'$  are adjacent in  $M(G)$  if and only if  $e$  and  $e'$  are consecutive on some facial walk in  $G$ ). This fact enables us to give a intuitive proof of Randby’s theorem.

In our talk, extending the above observation on geometry, we find a new  $Y\Delta$  equivalence class of projective planar maps, including those classes of minor minimal  $k$ -representative maps on  $P^2$ . (Received September 16, 2018)