

1145-11-2183

**Alexander J Barrios\***, Carleton College, Department of Mathematics and Statistics, One North College Street, Northfield, MN 55057. *Good Elliptic Curves with Specified Torsion Subgroup.*

Let  $E$  be a rational elliptic curve and define its modified Szpiro ratio to be  $\sigma_m(E) = \frac{\max\{|c_4^3|, c_6^2\}}{N_E^6}$  where  $c_4$  and  $c_6$  are the invariants associated to a minimal model of  $E$  and  $N_E$  is its conductor. We say that a rational elliptic curve is good if  $\sigma_m(E) > 6$ . By Mazur's Torsion Theorem, there are 15 possible groups  $T$  satisfying  $E(\mathbb{Q})_{\text{tors}} \cong T$ . In this talk we show that for each of these possible  $T$ , there are infinitely many good elliptic curves  $E$  with  $T \hookrightarrow E(\mathbb{Q})$ . In addition, we will use this result to attain computational data that parallels the work done by the ABC@Home project for the modified Szpiro conjecture. (Received September 25, 2018)