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By a rational elliptic curve, we mean a projective variety of genus 1 that admits a Weierstrass model of the form  $y^2 = x^3 + Ax + B$  where  $A$  and  $B$  are integers. For a rational elliptic curve  $E$ , there is a unique quantity known as the minimal discriminant which has the property that it is the smallest integer (in absolute value) occurring in the  $\mathbb{Q}$ -isomorphism class of  $E$ . In 1975, Hellegouarch showed that the elliptic curve  $y^2 = x(x+a)(x-b)$  for relatively prime integers  $a$  and  $b$  comes equipped with an easily computable minimal discriminant. Recently, Barrios extended this result to all rational elliptic curves with non-trivial torsion subgroup. This project gives a classification of minimal discriminant for rational elliptic curves that admit a cyclic isogeny of degree  $N = 5, 6, 7, 8, 9, 10, 13$ . This work is part of PRiME (Pomona Research in Mathematics Experience) with assistance by Alex Barrios and Timothy McEldowney. This work was sponsored by the National Science Foundation (DMS-1560394). (Received September 17, 2019)