## 1163-05-227 Mark E Watkins\* (mewatkin@syr.edu), NY. Vertex-transitive non-Cayley graphs of connectivity 1. Preliminary report.

A VTNCG is a vertex-transitive non-Cayley graph. While Cayley graphs are vertex-transitive, the converse is false, and a number of papers (see, for example, C. Praeger or B. McCay) have been written searching for VTNCGs. We present a variety of conditions for an infinite graph of connectivity 1 to be a VTNCG. A typical theorem is the following: For some integer  $n \ge 2$ , let  $\Gamma$  be a graph of connectivity 1 whose lobes (i.e., maximal biconnected subgraphs) are copies of the Petersen graph (resp., the dodecahedral graph), and each vertex is incident with exactly n such copies. If n is even, then  $\Gamma$  is a Cayley graph; if n is odd, then  $\Gamma$  is a VTNCG. More elaborate examples involve lobes that are edge-transitive bipartite graphs. (Received August 28, 2020)