1163-47-266 Igor Klep\* (igor.klep@fmf.uni-lj.si). Noncommutative partial convexity.

Motivated by classical notions of partial convexity, and bilinear matrix inequalities, we present the theory of  $\Gamma$ -convexity in the free noncommutative setting. Given a tuple of polynomials  $\Gamma$ , a free set is called  $\Gamma$ -convex if it is closed under isometric conjugation by isometries intertwining  $\Gamma$ . We establish an Effros-Winkler Hahn-Banach separation theorem for  $\Gamma$ -convex sets; they are delineated by linear pencils in the coordinates of  $\Gamma$  and the variables x. We shall also consider partial convexity for nc functions. For instance, we will explain that nc rational functions that are partially convex admit butterfly-type realizations that necessitate square roots.

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