

**Meeting:** 1003, Atlanta, Georgia, SS 26A, AMS-SIAM Special Session on Dynamic Equations on Time Scales; Integer Sequences and Rational Maps, I

1003-39-1176      **Ed Janowski**, Department of Mathematics, University of Rhode Island, Kingston, RI 02881, **M. R. S. Kulenovic\*** ([kulenm@math.uri.edu](mailto:kulenm@math.uri.edu)), Department of Mathematics, University of Rhode Island, Kingston, RI 02881, and **Z. Nurkanovic** ([nurkanm@yahoo.com](mailto:nurkanm@yahoo.com)), Department of Mathematics, University of Tuzla, 75000 Tuzla, Bosnia-Herzegovina. *Stability of the  $k$ -th order Lyness' Equation with a Period- $k$  Coefficient.*

We first investigate the stability of the period-three solution of Todd's equation with a period-three coefficient:

$$x_{n+1} = \frac{1 + x_n + x_{n-1}}{p_n x_{n-2}}, \quad n = 0, 1, \dots$$

where

$$p_n = \begin{cases} \alpha, & \text{for } n = 3l \\ \beta, & \text{for } n = 3l + 1 \\ \gamma, & \text{for } n = 3l + 2, \quad l = 0, 1, \dots \end{cases} . \quad (1)$$

Then for  $k = 2, 3, \dots$  we extend our stability result to the  $k$ -order equation,

$$x_{n+1} = \frac{1 + x_n + \dots + x_{n-k+2}}{p_n x_{n-k+1}}, \quad n = 0, 1, \dots$$

where  $p_n$  is a periodic coefficient of period  $k$  with positive real values and  $x_{-k+1}, \dots, x_{-1}, x_0 \in (0, \infty)$ . We will prove the stability of the period  $k$  solution of the above equation. (Received October 04, 2004)