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Qi Chen (qichen@math.ohio-state.edu) and **Thomas Kerler***
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Groups*. Preliminary report.

In 1998 Roberts proved that the representations of the mapping class groups obtained from quantum-PSU(2) at an r -th root of unity are irreducible for every genus g . This fails to be true for representations obtained from higher rank quantum-PSU(n) with $n > 2$.

Specifically, we prove for $g=1$ that the $SL(2, \mathbb{Z})$ -representation obtained from quantum-PSU(3) for prime r commutes with the action of a dihedral group, and decomposes accordingly into non-trivial direct summands. One of the summands turns out to be isomorphic to the $SL(2, \mathbb{Z})$ -representation obtained from quantum-PSU(2).

We will briefly mention the significance of this result for finding integral bases for higher rank TQFT's as well as the possibility of mutation violations. (Received September 27, 2005)