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David Eisenbud* (de@msri.org), MSRI, 17 Gauss Way, Berkeley, CA 94720. *Asymptotic Castelnuovo-Mumford Regularity*. Preliminary report.

Let k be a field and let $S = k[x_1, \dots, x_n]$ be a polynomial ring over k . A remarkable result of Cutkosky-Herzog-Trung, reproved independently with slightly different information by Kodiyalam, asserts that if I is a homogeneous ideal in S , then the Castelnuovo-Mumford regularity of I^p grows linearly as a function of p for large p

$$\operatorname{reg} I^p = dp + c \text{ for } p \gg 0$$

for some integers d and c . The integer d can be understood in terms of minimal reductions of I (Kodiyalam). The constant term c seems more mysterious.

I will show how to understand the constant term in the special case where I is generated by forms of a single degree and is primary to the ideal (x_1, \dots, x_n) , and discuss some further cases and bounds. This work is part of an ongoing project with Joe Harris and Craig Huneke. (Received September 26, 2006)