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I will discuss the eigenvalue order statistics for random Schrödinger operator $\Delta + \xi$ on $\ell^2(\mathbb{Z}^d)$, where Δ is the lattice Laplacian and ξ an i.i.d. random field with a doubly exponential upper tail. The leading eigenvalues of this operator restricted to a finite box converge, after a shift and scaling, to a Poisson point process as the size of the box tends to infinity. This observation is of interest as it feeds into a larger result dealing with strong path localization for the random walk in a random potential and/or mass concentration in the so called parabolic Anderson model. (Received September 20, 2007)