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It is a long-unsolved problem to decide whether or not the surface of every convex polyhedron may be sliced along its edges and unfolded flat to one connected piece without overlap. (Such a planar shape is sometimes called a \*net\* for the polyhedron.) Cutting any spanning tree of the 1-skeleton of the polyhedron permits the surface to be unfolding flat, but no one has found a way to guarantee there will not be overlap. Nor is there a counterexample to the hypothesis that all convex polyhedra have such an unfolding.

We prove that a subclass of the prisms do indeed have a non-overlapping unfolding. A prism is the convex hull of two convex polygons lying in parallel planes. We hope to extend our proof to all prisms. (Received September 13, 2008)