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By defining an equivalence relation on an arbitrary topological space Y , a Tychonoff space X is induced such that there is an isometry G from $C^*(X)$ to $C^*(Y)$, where both $C^*(X)$ and $C^*(Y)$ are equipped with the supremum norm. For any Hausdorff compactification (Z, h) of the Tychonoff space X induced by Y , let S be the set of all $f \circ h$ for f in $C(Z)$, and T be the set of all $G(g)$ for g in S . Then S and T are a complete vector sublattice and complete subalgebra of $C^*(X)$ and $C^*(Y)$, respectively. T will be called a Cz-vector lattice or a Cz-algebra on Y . A sufficient and necessary condition for any vector sublattice or subalgebra V of T to be dense in T is provided. If Y is Tychonoff, then $Y = X$ and if (Z, h) is the Stone-Cech compactification of X , then $T = C^*(X) = C^*(Y)$ and an extension of the generalized Stone-Weierstrass theorem with a sufficient and necessary condition to $C^*(X)$ is achieved. (Received August 21, 2009)